

Reflection: x -axis, y -axis, $y=x$, $y=-x$
algebraic rule

H Math 2

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Name _____

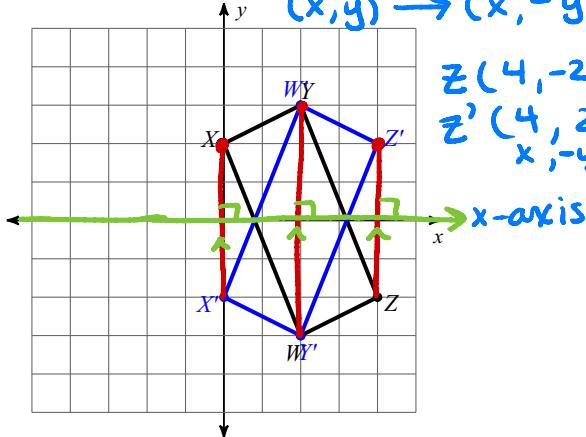
Key

Transformation Practice

Write a rule to describe each transformation verbally and algebraically.

• Reflection over x -axis

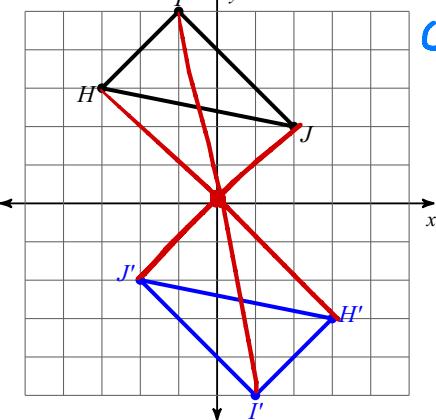
1) $(x, y) \rightarrow (x, -y)$



• Rotate 180° about the origin

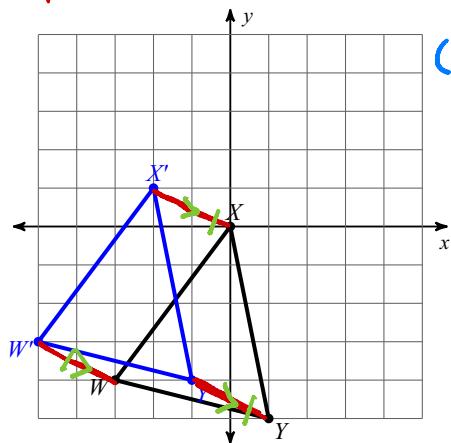
2)

$$(x, y) \rightarrow (-x, -y)$$



• Translate left 2 & up 1

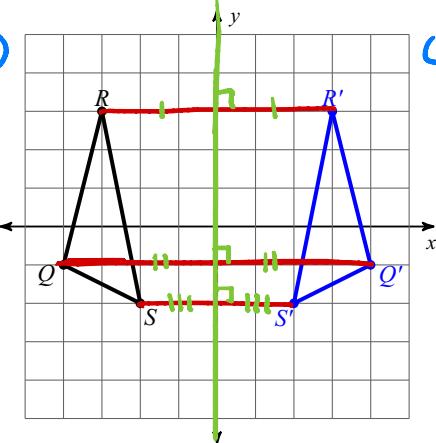
3) $(x, y) \rightarrow (x-2, y+1)$



• Reflect over the y -axis

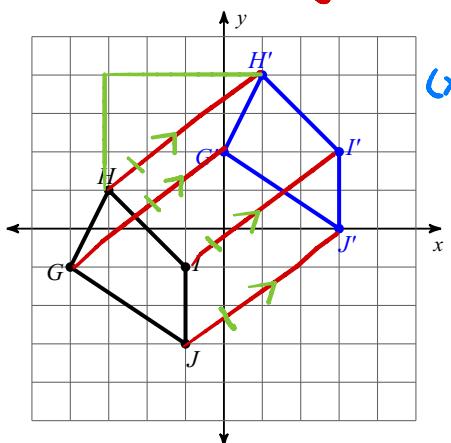
4)

$$(x, y) \rightarrow (-x, y)$$



• Translate right 4 & up 3

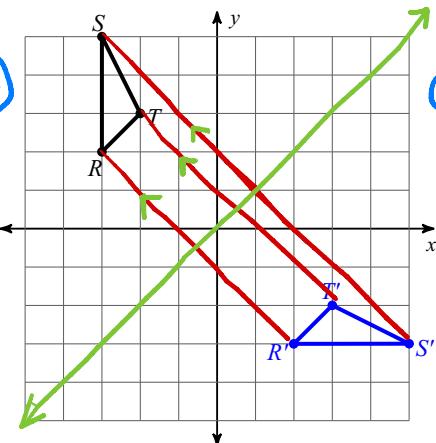
5) $(x, y) \rightarrow (x+4, y+3)$



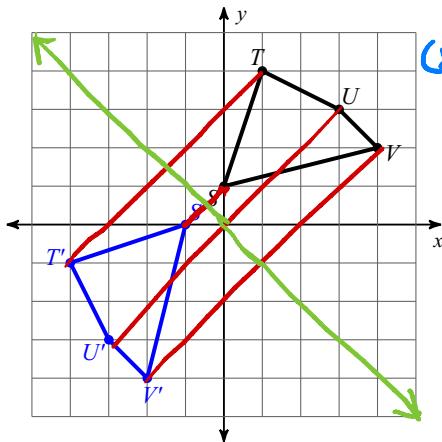
• Reflect over the line $y=x$.

6)

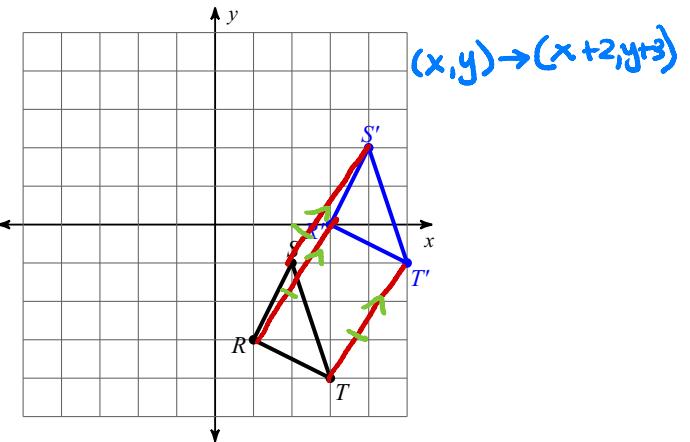
$$(x, y) \rightarrow (y, x)$$



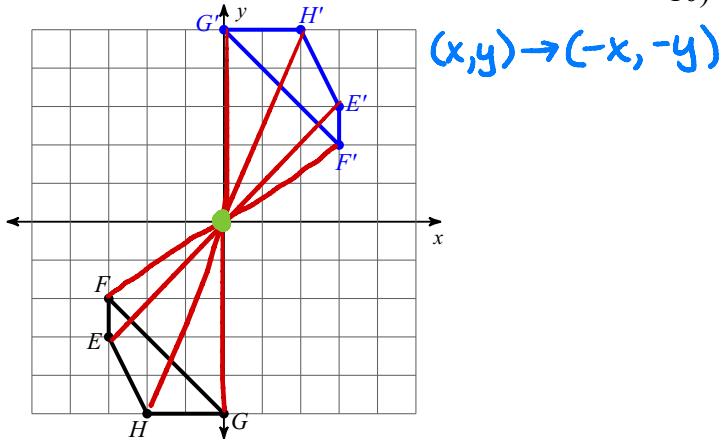
7) Reflect over the line $y = -x$



8) Translate right 2 & up 3

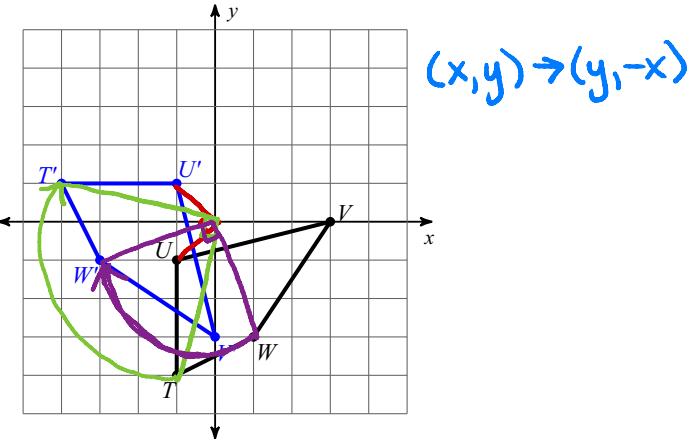


9) Rotation 180° about the origin

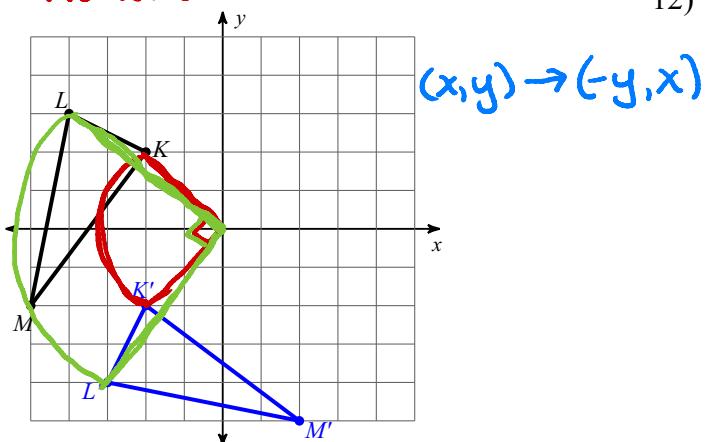


10)

Rotation 90° CW or 270° CCW.

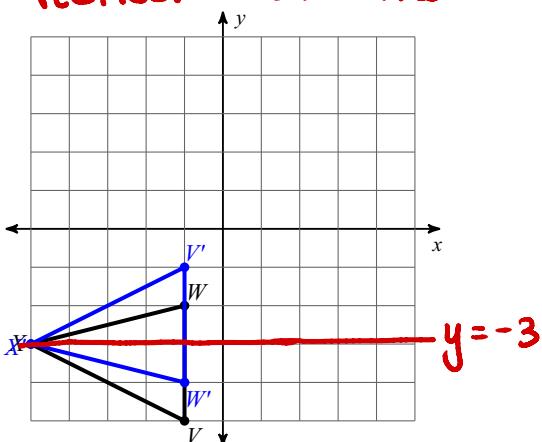


11) Rotation 90° CCW or 270° CW



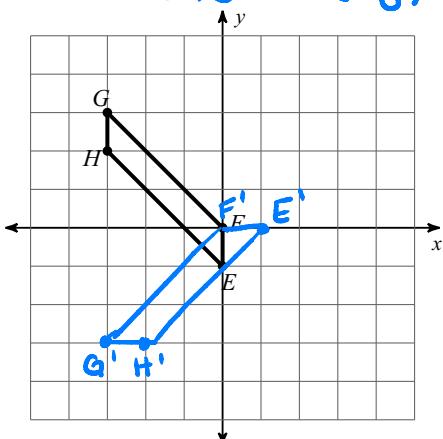
12)

Reflection over the line $y = -3$

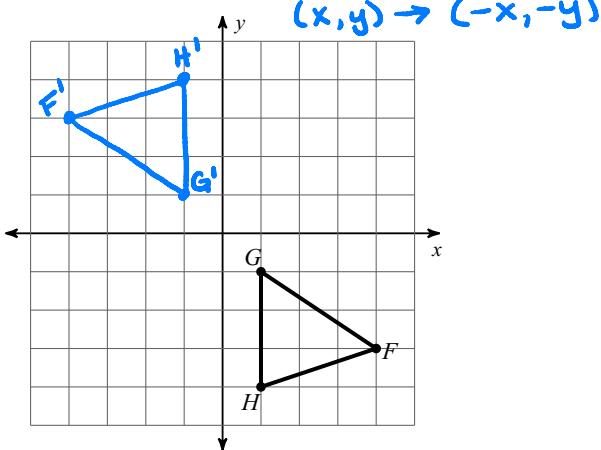


Graph the image of the figure using the transformation given and write the algebraic rule.

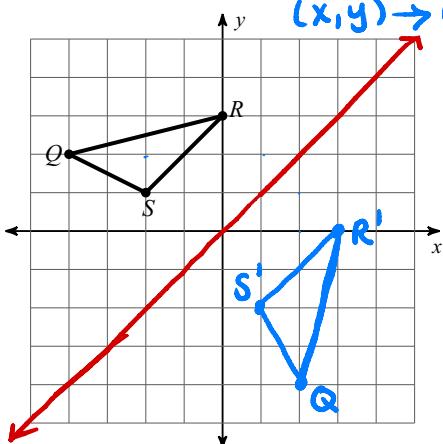
- 13) rotation 90° counterclockwise about the origin $(x,y) \rightarrow (-y,x)$



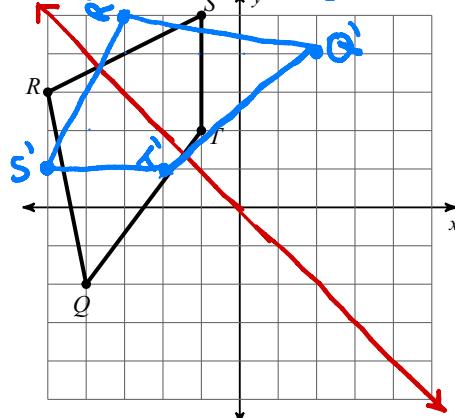
- 15) rotation 180° about the origin $(x,y) \rightarrow (-x,-y)$



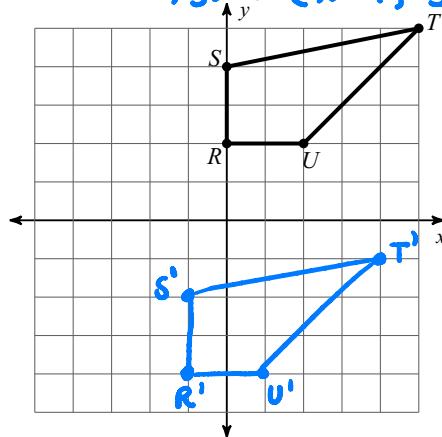
- 17) reflection across $y=x$ $(x,y) \rightarrow (y,x)$



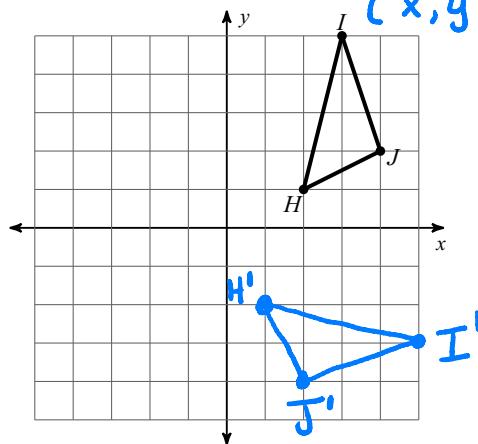
- 14) reflection across $y=-x$ $(x,y) \rightarrow (-y,-x)$



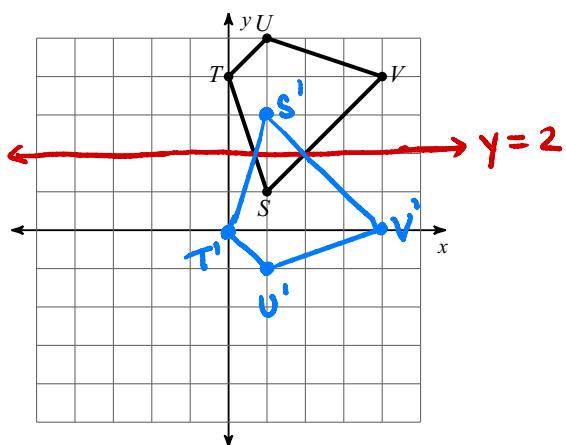
- 16) translation: 1 unit left and 6 units down $(x,y) \rightarrow (x-1, y-6)$



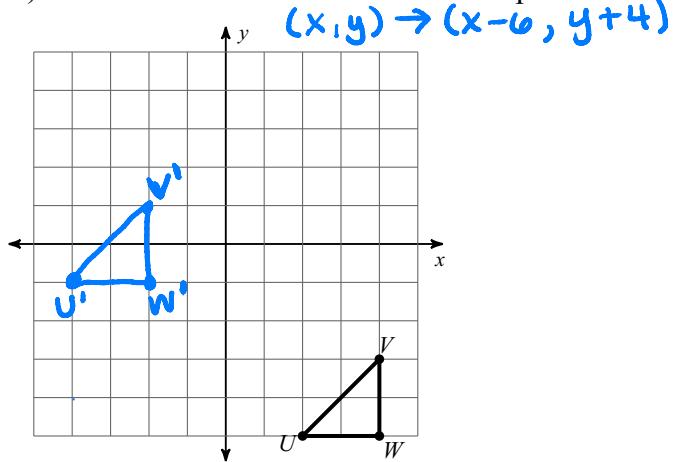
- 18) rotation 90° clockwise about the origin $(x,y) \rightarrow (y,-x)$



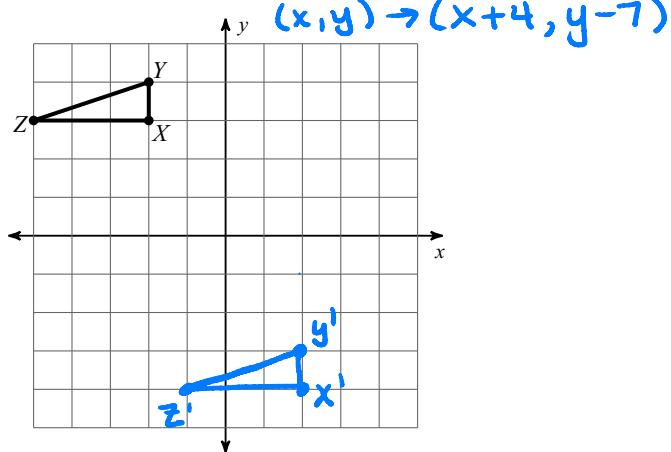
19) reflection across $y = 2$



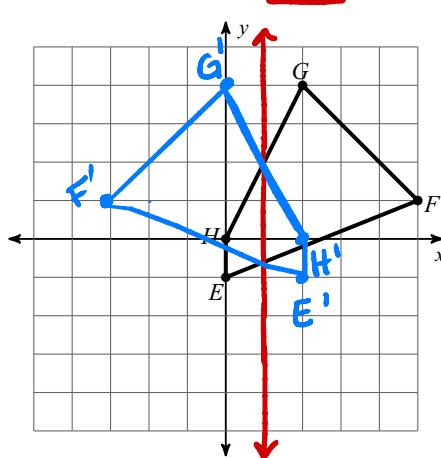
20) translation: 6 units left and 4 units up



21) translation: 4 units right and 7 units down

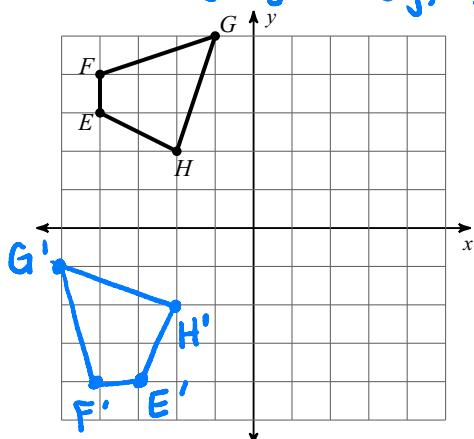


22) reflection across $x = 1$



23) rotation 90° counterclockwise about the origin

$$(x, y) \rightarrow (-y, x)$$



24) rotation 90° clockwise about the origin

$$(x, y) \rightarrow (y, -x)$$

